

## INSULATION COORDINATION

Insulation Coordination is defined by the values of test voltages which the insulation of equipment under test must be able to withstand. In the earlier days of electric power, insulation levels commonly used were established on the basis of experience gained by utilities. As laboratory techniques improved, so that different laboratories were in closer agreement on test results, an international joint committee, the Nema-Nela Committee on Insulation Coordination, was formed and was charged with the task of establishing insulation strength of all classes of equipment and to establish levels for various voltage classification. In 1941 a detailed document<sup>18</sup> was published giving basic insulation levels for all equipment in operation at that time. The presented tests included standard impulse voltages and one-minute power frequency tests.

In today's systems for voltages up to 245 kV the tests are still limited to lightning impulses and one-minute power frequency tests, see section 5.3. Above 300 kV, in addition to lightning impulse and the one-minute power frequency tests, tests include the use of switching impulse voltages. Tables 5.2 and 5.3 list the standardized test voltages for 245 kV and above  $\frac{1}{2}$ 300 kV respectively, suggested by IEC for testing equipment. These tables are based on a 1992 draft of the IEC document on insulation coordination.

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Table 5.7 Standard insulation levels for Range II ( $U_m > 245$  kV) (From IEC document 28

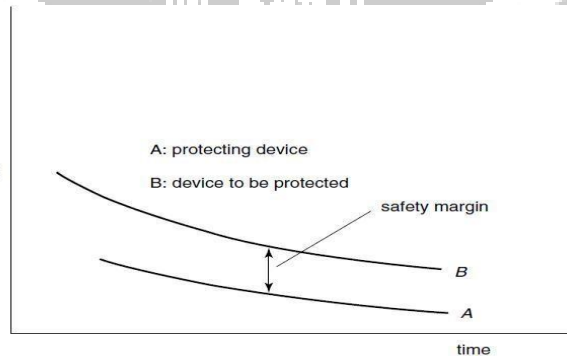
CO 58, 1992, Insulation coordination Part 1: definitions, principles and rules)

Highest	Longitudinal	Standard	Phase to phase	Standard
Voltage for	Insulation	lighting	(ratio to phase	lighting
equipment	(+) KV	withstand	to earth peak	withstand
$U_m$	Peak Value	voltage phase	value)	voltage
KV		to earth value		(Peak Value)
(rms Value)		(Peak Value)		
300	750	750	1.50	850
				950
362	750	850	1.50	950
				1050
420	850	850	1.50	950
				1050
	850	950	1.50	1050
				1175
	850	850	1.60	1050
				1175
525	950	950	1.50	1175
				1300
	950	1050	1.50	1300
				1425

765	950	950	1.70	1425
				1425
	950	1050	1.60	1550
				1800
	950	1175	1.50	1675
				1800
	950	1300	1.70	1800
				1425
	1175	1425	1.60	1675
			1800	
1175	1550	1.70	1800	

**Statistical approach to insulation coordination**

In the early days insulation levels for lightning surges were determined by evaluating the 50 per cent flashover values (BIL) for all insulations and providing a sufficiently high withstand level that all insulations would withstand. For those values a volt–time characteristic was constructed. Similarly the protection levels provided by protective devices were determined. The upper curve represents the common BIL for all insulations present, while the lower represents the



protective voltage level provided by the protective devices. The difference between the two curves provides the safety margin for the insulation system. Thus the Protection ratio=Max. Voltage it permits/Max.

This approach is difficult to apply at e.h.v. and u.h.v. levels, particularly for external

insulations. Present-day practices of insulation coordination rely on a statistical approach which relates directly the electrical stress and the electrical strength. This approach requires knowledge of the distribution of both the anticipated stresses and the electrical strengths. The statistical nature of over voltages, in particular switching over voltages, makes it necessary to compute a large number of over voltages in order to determine with some degree of confidence the statistical over voltages on a system. The e.h.v. and u.h.v. systems employ a number of non-linear elements, but with today's availability of digital computers the distribution of over voltages can be calculated. A more practical approach to determine the required probability distributions of a system's over voltages employs a comprehensive systems simulator, the older types using analogue units, while the newer.

Employ real time digital simulators (RTDS). For the purpose of coordinating the electrical stresses with electrical strengths it is convenient to represent the overvoltage distribution in the form of probability density function (Gaussian distribution curve as shown in Figure) and the insulation breakdown probability by the cumulative distribution function. The knowledge of these distributions enables us to determine the 'risk of failure'. If  $V_a$  is the average value of overvoltage,  $V_k$  is the  $k$ th value of over voltage, the probability of occurrence of overvoltage is  $p_0(V_k) du$ , where as the probability of breakdown is  $P_b(V_k)$  or the probability that the gap will break down at an overvoltage  $V_k$  is  $P_b(V_k) - P_b(V_{k-1})$ . For the total voltage range we obtain for the total probability of failure or 'risk of failure'.

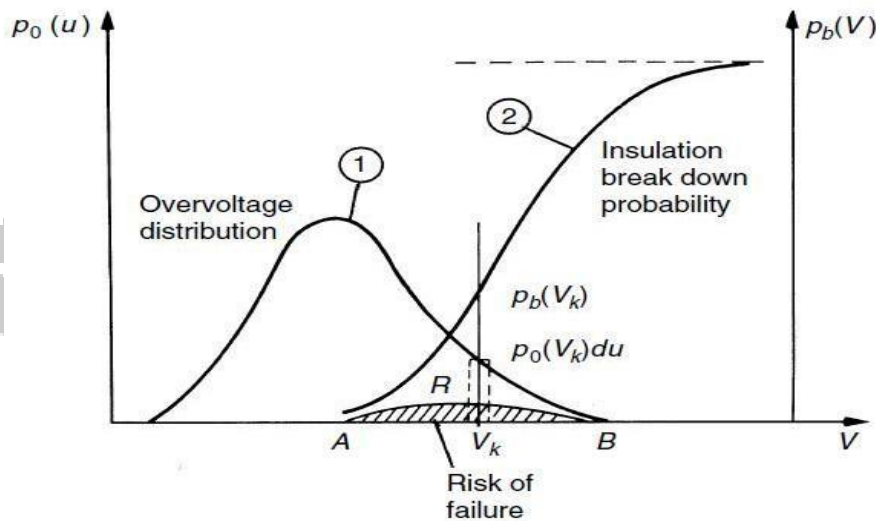


Figure: Method of describing the risk of failure.

1. over voltage distribution–Gaussian function.
2. Insulation breakdown probability–cumulative distribution)

$$R = \int_0^{\infty} Pb(Vk)P0(Vk)du$$

The risk of failure will thus be given by the shaded area under the curve R. In engineering practice it would become uneconomical to use the complete distribution functions for the occurrence of overvoltage and for the withstand of insulation and a compromise solution is accepted as shown in Figs 5.18 (a) and (b) for guidance. Curve (a) represents probability of occurrence of over voltages of such amplitude Vs that only 2 per cent (shaded area) has a chance to cause breakdown. VS are known as the ‘\_statistical overvoltage’. In Fig. 5.18(b) the voltage Vw is so low that in 90 per cent of applied impulses, breakdown does not occur and such voltage is known as the ‘\_statistical withstand voltage’ Vw.

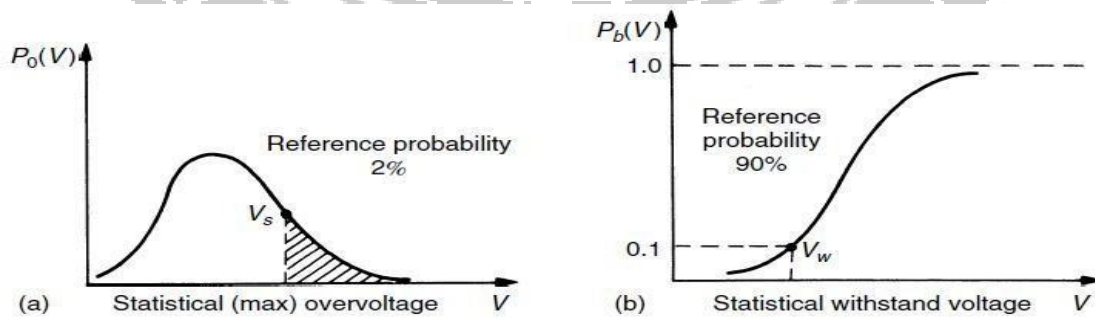


Figure: 5.18 Reference probabilities for overvoltage and for insulation withstand strength

In addition to the parameters statistical overvoltage ‘\_VS’ and the statistical withstand voltage ‘\_VW’ we may introduce the concept of statistical safety factor 4. This parameter becomes readily understood by inspecting Figs 5.19(a) to (c) in which the functions Pb V and p0Vk are plotted for three different cases of insulation strength but keeping the distribution of overvoltage

occurrence the same. The density function  $p_0(V)$  is the same in (a) to (c) and the cumulative function giving the yet undetermined withstand voltage is gradually shifted along the V-axis towards high values of V.

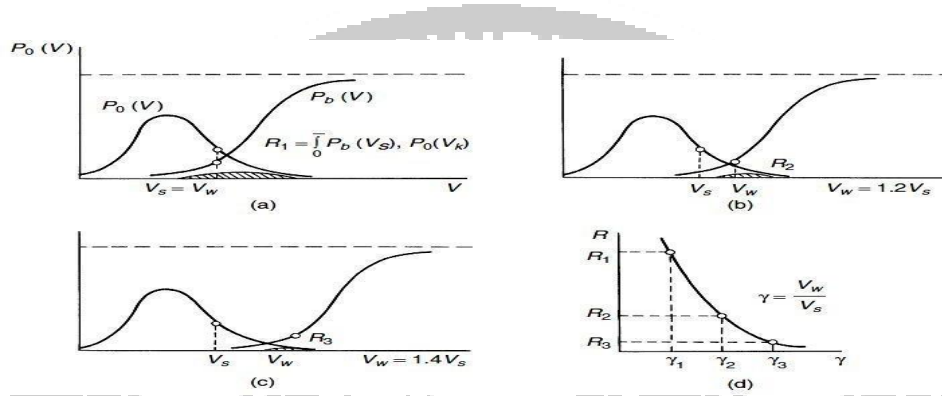


Figure: 5.19 The statistical safety factor and its relation to the risk of failure

This corresponds to increasing the insulation strength by either using thicker insulation or material of higher insulation strength. As a result of the relative shift of the two curves [ $P_b(V)$  and  $p_0(V)$ ] the ratio of the values  $V_w/V_s$  will vary. This ratio is known as the statistical safety factor.

