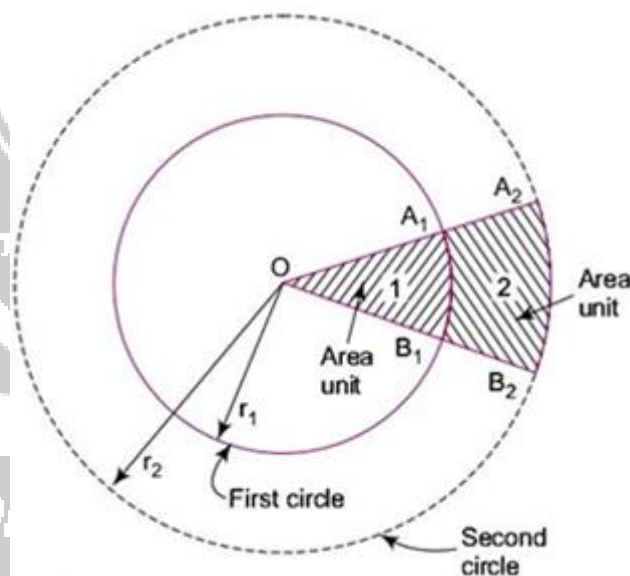


USE OF INFLUENCE CHART: [OR]**UNIFORM LOAD ON IRREGULAR AREAS [OR] NEWMARK CHART:**

A more accurate method of determining the vertical stress at any point under a uniformly loaded area of any shape is with the help of influence chart or influence diagram originally suggested by Newmark (1942). A chart, consisting of number of circles and radiating lines, is so prepared that the influence of each area unit (formed in the shape of a sector between two concentric circles and two adjacent radial lines) is the same at the center of the circles, i.e., each area unit causes the equal vertical stress at the center of the diagram.

Let a uniformly loaded circular area of radius r_1 cm be divided into 20 sectors (area units) as shown in Fig. If q is the intensity of loading, and σ_z is the vertical pressure at a depth z below the center of the area, each unit such as OA_1B_1 exerts a pressure equal to $\sigma_z/20$ at the center.



$$\frac{\sigma_z}{20} = \frac{q}{20} \left[1 - \left\{ \frac{1}{1 + \left(\frac{r_1}{z} \right)^2} \right\}^{3/2} \right] = i_f q \text{ --- (1)}$$

$$i_f = \frac{1}{20} \left[1 - \left\{ \frac{1}{1 + \left(\frac{r_1}{z} \right)^2} \right\}^{3/2} \right]$$

if i_f be made equal to an arbitrary fixed value, say 0.005 we have

$$\frac{\sigma_z}{20} = \frac{q}{20} \left[1 - \left\{ \frac{1}{1 + \left(\frac{r_1}{z} \right)^2} \right\}^{3/2} \right] = 0.005q \text{ --- (2)}$$

Selecting the value of $z=5\text{cm}$ (say), the value of r_1 solved from Eq.2 comes out be 1.35cm . Hence if a circle is drawn with radius $r_1=1.35\text{cm}$ and divided into 20 equal area units, each area unit will exert a pressure equal to $0.005q$ intensity at a depth of 5cm .

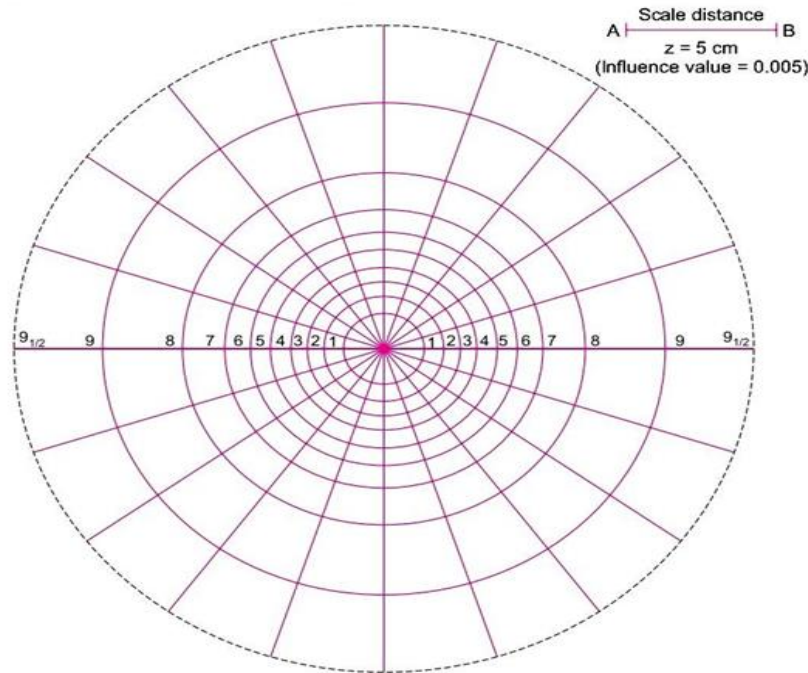


Fig.3 Newmark's influence chart

Let the radius of second concentric circle be equal to r_2 cm. By extending the twenty radial lines, the space between the two concentric circles is again divided into 20 equal area units; $A_1 A_2 B_2 B_1$ is one such area unit. The vertical pressure, at the centre, due to each of these area units is to be of intensity $0.005q$. Therefore, the total pressure due to area units OA_1B_1 and $A_1A_2B_2B_1$ at depth $=5\text{cm}$ below the centre is $2 \times 0.005q$. Hence from Eq.2

$$\text{Vertical pressure due to } OA_1B_2 = \frac{q}{20} \left[1 - \left\{ \frac{1}{1 + \left(\frac{r_2}{z} \right)^2} \right\}^{3/2} \right] = 2 \times 0.005q$$

Substituting $z=5\text{cm}$, we get $r_2=2.00\text{cm}$ from the above relation. Similarly, the radii of 3rd, 4th, 5th, 6th, 7th, 8th, 9th circles can be calculated, as tabulated in Table 1. The radius of 10th circle is given by the following governing equation:

$$\frac{q}{20} \left[1 - \left\{ \frac{1}{1 + \left(\frac{r_{10}}{z} \right)^2} \right\}^{3/2} \right]$$

From the above $r_{10} = \text{infinity}$.

Table1 Radii of concentric circles for influence chart
($z=5\text{cm}$; $i_f= 0.005$; each circle divided into 20 parts)

Number of circles	1	2	3	4	5	6	7	8	9	92	10
Radius(cm)	1.35	2.00	2.59	3.18	3.83	4.59	5.54	6.94	9.54	12.6	∞

Figure3 shows the influence chart drawn on the basis of Table1. To use the chart for determining the vertical stress at any point under the loaded area, the plan of the loaded area is first drawn on a tracing paper to such a scale that the length $AB (=5\text{cm})$ drawn on the chart represents the depth to the point at which pressure is required. For example, if the pressure is to be found at a depth of 5m, the scale of plan will be $5\text{cm}=5\text{m}$, or $1\text{cm}=1\text{m}$. The plan of the loaded area is then so placed over the chart that the point below which pressure is required coincides with the centre of the chart. The point below which pressure is required may lie within or outside the loaded area. The total number of area units (including the fractions) covered by the plan of the loaded area is counted. The vertical pressure is then calculated from the relation:

$$\sigma_z = 0.005 q \times N, \text{ (where } N_A = \text{number of area units under the loaded area).} \text{-----(3)}$$