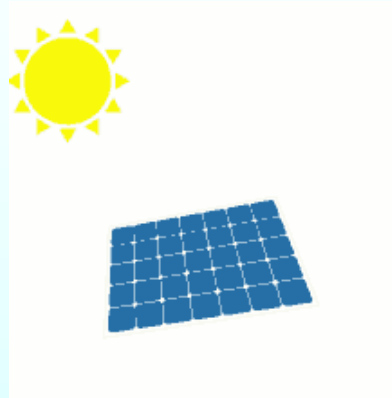


# Coupled Circuits



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## Connection of Two Coils to Form a Coupled Coil :

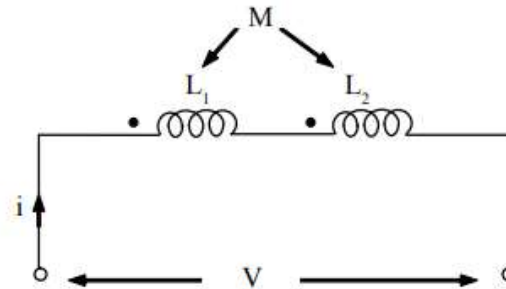
Two coils can be connected in four different way to form a coupled coil. They are : -

- (i) Series aiding connection
- (ii) Series opposing connection
- (iii) Parallel aiding connection
- (iv) Parallel opposing connection



### 5.10 SERIES AIDING CONNECTION :

In fig. 5.16, the current is entering both the coils at the dotted both the coils at the dotted terminal. So, it is called series aiding combination.



*Fig. 5.16 Series Aiding*

Applying KVL, we get,  $L_1 \frac{di}{dt} + M \frac{di}{dt} + L_2 \frac{di}{dt} + M \frac{di}{dt} = V$

$$(or) \quad (L_1 + L_2 + 2M) \frac{di}{dt} = V \quad \text{-----(33)}$$

Let L be equivalent inductance of the combination, then

$$V = L \frac{di}{dt} \quad \text{-----(34)}$$

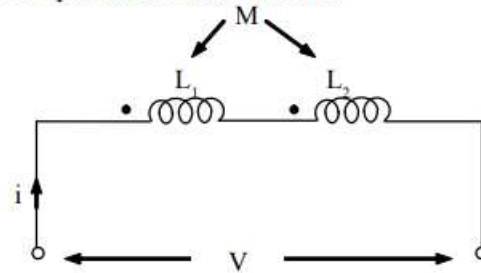
Equating eq. (33) and (34), the equivalent inductance of series aiding connection is,

$$L = L_1 + L_2 + 2M$$



### 5.11 SERIES OPPOSING CONNECTION [BUCKING]

In fig. 5.17, the current is entering first coil at dotted terminal and leaving the other coil at dotted terminal. so, the mesh equation for this circuit is



*Fig. 5.17 Series Opposing*

$$L_1 \frac{di}{dt} - M \frac{di}{dt} + L_2 \frac{di}{dt} - M \frac{di}{dt} = V$$

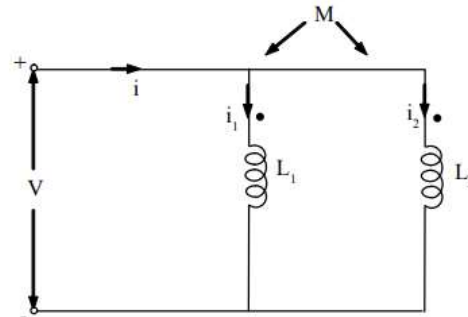
$$(or) \quad (L_1 + L_2 - 2M) \frac{di}{dt} = V \quad \text{-----(35)}$$

$$\text{we know that, } V = L \frac{di}{dt} \quad \text{-----(36)}$$

Equating eq. (35) and (36), the equivalent inductance of series opposing connection is  $L = L_1 + L_2 - 2M$ .

Equivalent inductance in the series aiding combination is more than that in series opposing combination by an amount  $= 4M$ .

### 5.12 PARALLEL AIDING CONNECTION :



*Fig. 5.18 Parallel aiding*

In fig. 5.18, both currents  $i_1$  and  $i_2$  enter the coils at the dotted terminals. Applying KVL to both loops, we get

$$L_1 \frac{di_1}{dt} + M \frac{di_2}{dt} = V$$

$$\& \quad M \frac{di_1}{dt} + L_2 \frac{di_2}{dt} = V$$

Assume that the excitations are sinusoidal for convenience. Then the above equations can be written as,

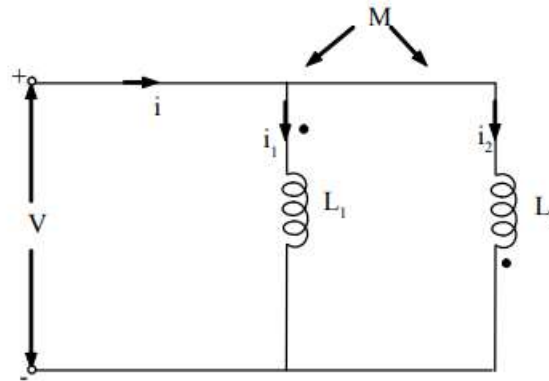
$$j\omega L_1 I_1 + j\omega M I_2 = V$$

$$\& \quad j\omega M I_1 + j\omega L_2 I_2 = V$$

$$L = \frac{L_1 L_2 - M^2}{L_1 + L_2 - 2M}$$



### 5.13 PARALLEL OPPOSING CONNECTION



*Fig. 5.19 Parallel opposing*

In fig. 5.19, one current enters and other leaves the coil through the dotted end of the coil. Hence, mutual inductance is negative. Applying KVL to both loops, we get

$$L_1 \frac{di_1}{dt} - M \frac{di_2}{dt} = V$$

$$\& \quad -M \frac{di_1}{dt} + L_2 \frac{di_2}{dt} = V$$

$$L = \frac{L_1 L_2 - M^2}{L_1 + L_2 + 2M}$$



**Thank You**

